



+7 495 650-99-95 +7 495 694-36-00 +7 925 505-24-42 +7 916 151-25-94 info@oxbrige.ru

C

0

1

HOMEWORK 2

Our second session has come to an end - well done! More exciting sessions are yet to come...

Your homework has four questions to solve.

As always, here's what you need to do:

- 1) Complete all four questions on your own.
- 2) If you get stuck, don't worry! Just try your best and show how you thought about the problem. We will go through all of them in the next class.
- 3) Feel free to print out this worksheet if you want to.
- 4) Q1, Q2, etc. at the beginning of the questions stand for "Question 1," "Question 2," and so on.
- 5) Submit your homework at least three days before our next class!

I look forward to your answers. Enjoy, and see you in the next class! \Box

Q1) FINDING |AB|

In the quadrilateral ABCD shown in the figure, $[AB] \perp [BC]$ and $[AD] \perp [DC]$.

Given that:

|AD|=7 cm, |DC|=10 cm, |CB| =11 cm

what is the length of |AB| in centimeters?

Hint: \perp means that these lines are perpendicular to each other. For example, in this case, [AB] \perp [BC] means that [AB] and [BC] are line segments perpendicular to one another, so they meet at a right angle (90 degrees).





ЗАОЧНАЯ ИЗБРАННЫЕ ЗАДАНИЯ РОССИЙСКИХ И ЗАРУБЕЖНЫХ ЭКЗАМЕНОВ И ОЛИМПИАД

+7 495 650-99-95 +7 495 694-36-00 +7 925 505-24-42 +7 916 151-25-94 info@oxbrige.ru

O

Ø

0

Q2) FINDING |EB|

In the figure, ABCD and FECG are squares.

The area of square **ABCD** is **144** cm², and the area of square **FECG** is **25** cm².

Given this information, what is the length of **|EB|** in centimeters?



Q3) A BAG OF BEADS

A bag contains four green beads, six blue beads, and three red beads. Grace takes a bead at random from the bag, records its colour and replaces it. She does this two more times.

Work out the probability that, of the three beds Grace takes, exactly two are the same colour.



Q4) SOCKS IN THE DRAWER

Sasha has eight red and four blue socks in her drawer. If she removes two socks from the drawer, one after the other, calculate the probability that:

- 1) both socks are red
- 2) both socks are blue
- 3) the socks are different colours.



Pythagoras' Theorem



In this activity you will use Pythagoras' Theorem to solve real-life problems.

Information sheet

There is a formula relating the three sides of a **right-angled** triangle.

It can be used to mark out right angles on sports pitches and buildings.



Think about ...

How do you decide which sides to call *a*, *b* and *c*? How do you decide whether to add or subtract?

Finding the length of the hypotenuse: example

Find c.



How to do it

Using Pythagoras gives $c^2 = 6.3^2 + 12.4^2$

 $c^{2} = 39.69 + 153.76 = 193.45$ $c^{2} = \sqrt{193.45} = 13.9086...$ $c^{2} = 13.9 \text{ cm} (\text{to 1 dp})$

Rollercoaster example

The sketch shows part of a rollercoaster ride between two points, *A* and *B* at the same horizontal level.

The highest point *C* is 20 metres above *AB*, the length of the ramp is 55 metres, and the length of the drop is 30 metres.

Find the horizontal distance between A and B.



How to do it

Using Pythagoras in triangle ACD gives

 $AD^2 = 55^2 - 20^2$ (AD is one of the short sides of the triangle, so subtract)

 $AD^2 = 3025 - 400 = 2625$

AD = $\sqrt{2625}$ = 51.23... (it is useful to save this in a calculator's memory)

Using Pythagoras in triangle BCD gives

- $DB^2 = 30^2 20^2$ (BD is one of the short sides of the triangle)
- $DB^2 = 900 400 = 500$
- $DB = \sqrt{500} = 22.36...$
- AB = AD + DB = 51.23... + 22.36... = 73.59...

The horizontal distance between A and B is 74 metres (nearest metre)

Think about...

How do you decide whether to add or subtract?

Why might it be useful to draw your own diagram?

1 A mast is supported by two cables attached to the top, and to points on the ground 20 metres from its base. The height of the mast is 30 metres.

Calculate the length of each cable.

2 A gate is strengthened by fixing a strut along each of its diagonals. The gate is 2 metres long and 1.2 metres high.

Find the length of each strut.

3 Ken takes a shortcut along the path from the gate to the bus stop.

Calculate how much further it would have been if he had walked around the edges of the field instead.

4 A tent is 2.8 metres wide. Its sloping sides are 2.4 metres long. Calculate the height of the tent correct to 2 decimal places.

5 The cross-section of a road tunnel is part of a circle of radius 4 metres. The width of the tunnel at road level is 6 metres.

Calculate its height, h, correct to 2 decimal places.











6 Each end of the window-box shown in the sketch is a trapezium. The other three sides are rectangles.

Calculate:

- a the length of the edge *l*, giving your answer in cm.
- **b** the total area of the five sides of the window box, giving your answer in square metres to 2 decimal places.



At the end of the activity

- When do you add and when do you subtract?
- Where there is more than one right-angled triangle, how do you decide which one to work on first?
- Why is it useful to draw your own diagram?
- In which questions did you have to do a calculation before you could use Pythagoras' Theorem?
- In which questions did you have to 'think backwards' to solve the problem?
- What do you have to do if there do not seem to be any right-angled triangles in the diagram?